# Influence of Spatial Distribution of Pores on NMR Transverse Relaxation Time in Pebbly Sandstone

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The relationship between transverse relaxation time  $(T_2)$  and pore size distribution is the basis of NMR applications for rocks. However, the equations for  $T_2$  are not accurate enough in rocks with complicated pore structures. Taking pebbly sandstone from the northwestern Junggar Basin in China as an example, the aim of this study is to discover the spatial distribution of pores and its influence on  $T_2$ . Porosity, permeability, micro-images and  $T_2$  distributions were acquired from rock samples, and pore structure parameters were obtained from binarized thin section images. The results show that as the grain size increases, the proportion of dissolution pores increases and the spatial distribution of pores changes from a random to a clustered pattern. The relaxation of a hydrogen atom takes longer and  $T_2$  is higher in dissolution pores compared with those in intergranular pores. New equations for  $T_2$  that consider the spatial distribution of pores are proposed.

Keywords : nuclear magnetic resonance, spatial distribution, dissolution pore, transverse relaxation time, pebbly sandstone

### 1. Introduction

Over the past few decades, nuclear magnetic resonance (NMR) has been widely used to evaluate the petrophysical properties of rocks, such as in analyzing pore size distribution [1-4], distinguishing free fluid and bound fluid [5-8], estimating thickness of water film on pore space [9], calculating permeability [10] and even constructing three-dimensional pore networks. Essentially, most usages of NMR are based on its relationship between NMR surface relaxation time and pore size distribution of rocks.

Usually, the transverse relaxation time  $(T_2)$  of fluid in pores can be expressed by the fundamental equation (Eq. (1)) governing the NMR relaxation spectrum [7]. For pores filled with water, when the magnetic field is uniform (the internal gradient is low) and the echo spacing of

©The Korean Magnetics Society. All rights reserved. \*Corresponding author: Tel: +8613518143797 Fax: +86-028-83032834, e-mail: wfswpu@126.com CMPG sequence  $(T_E)$  is sufficiently short, the bulk relaxation time of the fluid and diffusion relaxation time can be disregarded (Eq. (2)),  $T_2$  is dominated by the surface relaxation time [11], and the  $T_2$  distribution can be transformed into a pore size distribution. However, in practice, the relationship between  $T_2$  and S/V ratio varies considerably in different rocks, and pore throat size distribution from the mercury injection method is also needed to calibrate the relationship [12, 13]. The shape factor and rugosity of pores are regarded as the main causes of this variation [14-16]; some studies also indicate that pore structure contributes considerably to this variation [16-18]. Various issues concerning aspects of pore structure have been well studied, such as diffusional coupling between micropores and macropores [19-22]. However, relatively less attention has been paid to the spatial distribution of macropores and the connection between them. The aim of this study is to discover the relationship between  $T_2$  and spatial distribution of pores through an analysis of pebbly sandstone.

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$$\frac{1}{T_2} = \frac{1}{T_{2B}} + \frac{D(\gamma G T_E)^2}{12} + \rho_2 \frac{S}{V}$$
(1)

$$\frac{1}{T_2} \approx \rho_2 \frac{S}{V} \tag{2}$$

where  $T_2$  is the transverse relaxation time,  $T_{2B}$  is the bulk relaxation time of the fluid, D is the molecular diffusion coefficient,  $\gamma$  is the gyromagnetic ratio of a proton, G is the field-strength gradient,  $T_E$  is the echo spacing of CMPG sequence,  $\rho_2$  is the  $T_2$  surface relaxivity, and S and V are the surface area and volume of the pores respectively.

# 2. Geological Setting

The study area (the Mahu depression) is located in the northwestern Junggar Basin in China [23-25] (Fig. 1). Many oil wells have been drilled in this area. The exploration targets are the fan delta sediments in the Baikouquan formation, Triassic strata [26-27], and the estimated petro-

153<sub>60</sub>km

5120

(b)

20

30 km

leum reserves are over  $1.03 \times 10^{10}$  barrels. Pebbly sandstones are the primary reservoir rocks. Primarily based on the classification scheme of Hambrey [28-29], the pebbly sandstones are classified as medium sandstone, coarse sandstone, gravelly sandstone and sandy conglomerate. Core samples used in this study were drilled from 4 different wells referred as Well1, Well2, Well3 and Well4.

# 3. Methods

#### 3.1. Experiments

Porosity and permeability of 43 core plugs (with diameters of 2.54 cm and lengths of 5 cm) drilled from the subsurface core samples (with diameters of approximately 8 cm~10 cm) were measured by a Corelab CMS-300 Automated Permeameter.  $T_2$  distributions of 14 core plugs were measured by a Niumag AniMR-150 Magnetic Resonance Imaging Analysis System whose magnetic field strength is 0.23 T. These 14 core plugs were cleaned by

2000

2500

15440



154,00

mountain

margin of the Junggar Basin. (b) Tectonic map showing the distribution of the fan delta in the Baikouquan formation and the location of major oil wells in the Mahu depression. Rock samples were drilled from oil wells Well1, Well2, Well3 and Well4.

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benzene and ethyl alcohol, dried, evacuated and saturated with brine water under 10 Mpa pressure until a fully saturated state was established. A centrifuge method was applied until no brine water was evacuated, then the irreducible water state was established. At both the fully saturated state and irreducible water state, the  $T_2$  distribution was measured with the polarization time (or waiting time,  $T_W$ ) and the echo spacing of the CMPG sequence ( $T_E$ ) as 6 s and 0.1 ms, respectively.

Three different scales of images are acquired by core scanning, optical microscopy and scanning electron microscopy (SEM) equipment to investigate the pore structure and enable comparison with the  $T_2$  distributions. The lowest resolution images were scanned on the surfaces which were cut in half along the axis of some subsurface core samples (with diameters approximately 8 cm~10 cm). The highest resolution images were captured by an FEI Quanta 250 FEG Scanning Electron Microscope. A total of 43 thin sections (with diameters of 2.54 cm) were manufactured from the remaining rock from the core plug drilling process. These thin sections were polished, covered and impregnated with blue epoxy resin, without staining for feldspars. The medium resolution images were captured from these thin sections by a Nikon LV100POL Polarizing Microscope. The mineral composition of the pebbly sandstone was analyzed by a PANalytical X'pert Pro MPD X-ray diffractometer (XRD measurement).

#### 3.2. Image processing and parameter extracting

Six thin section images with the dimensions of 1.5 cm  $\times$  1.2 cm were processed by *ImageJ* software to acquire the binarized images. The threshold used in the processing separates the pores and minerals. However, pores with a diameter less than a pixel size (such as micropores between clay minerals) cannot be extracted from the thin section images [30-31]. In general, the higher resolution, the better performance. However, higher resolution requires a smaller field of vision which is not good for catching anisotropy effect in pebbly sandstone. So the balance between resolution and field of vision should be con-

sidered. In this case, the 7.81 µm/pixel of resolution allows the identification of most macropores and the 1.5 cm × 1.2 cm field of vision size minimizes the anisotropy effect. Once the binarized thin section images were obtained, the pore structure parameters, such as the pore radius of the short axis ( $R_s$ ), the pore radius of the long axis ( $R_l$ ), the pore perimeter (P), the pore area (A), the pore shape factor ( $S_f$ ) and the area porosity of the thin section images by the *Analyze* module of *ImageJ* software or the *Count/Size* module of *Image-Pro Plus* software. The pore shape factor ( $S_f$ ) is defined by the cross-sectional area (A) and perimeter (P) of the pore:

$$S_f = \frac{4\pi A^2}{P} \tag{3}$$

# 3.3. Ratio of calculated and random mean nearest neighbour distance (RNN)

Clark *et al.* (1954) [32] proposed a concept of distance to the nearest neighbour as a measure of population distribution. Based on Clark's research, Jerram *et al.* (1996) [33] proposed the ratio of the calculated and the random mean nearest neighbour distance (*RNN*) to describe the 2D spatial distribution of grains and crystals in rocks. In the following two decades, this method was widely used in the textural analysis of rock samples [17, 34-36]. The procedure of this method requires the calculation of the mean nearest neighbour distance of the sample (Eq. (4)) and compares this to a predicted mean nearest neighbour distance for a random distribution of points (Eq. (5)).

$$r_A = \frac{\Sigma r}{N} \tag{4}$$

where  $r_A$  is the mean nearest neighbour distance of the sample, r is the nearest neighbour distance, and N is the number of points in the sample.

$$r_E = \frac{1}{2\sqrt{\delta}} \tag{5}$$

Table 1. XRD measured mineral composition of pebbly sandstone.

Rock type	Sample quantity	Quartz (%)	Feldspar (%)	Calcite and dolomite (%)	Pyrite, magnetite and siderite (%)	Clay				
						Clay (%)	Illite (%)	Illite smectite mixed layer (%)	Kaolinite (%)	Chlorite (%)
Coarse sandstone	5	39.73	35.42	7.81	0.00	17.04	3.86	2.2.	5.73	5.25
Gravelly sandstone	6	33.58	42.83	4.58	0.00	19.01	4.34	3.00	5.98	5.69
Sandy conglomerate	6	31.84	45.96	2.75	0.00	19.45	5.78	2.75	6.18	4.74
Mean	22	37.49	39.20	4.62	0.00	18.69	4.76	2.84	5.58	5.51

where  $r_E$  is the predicted mean nearest neighbour distance for a random distribution of points, and  $\delta$  is the density of the observed distribution.

$$RNN = \frac{r_A}{r_E} \tag{6}$$

where *RNN* is the ratio of the observed to the predicted nearest neighbour distances.

In this study, *RNN* (Eq. (6)) is used to evaluate the 2D spatial distribution of pores in pebbly sandstone.

#### 4. Results

#### 4.1. Mineral composition

The results of the XRD measurement (Table 1) show that the mineral composition of the pebbly sandstones is mainly quartz (37.49 %), feldspar (39.20 %) and clay (18.69 %), without pyrite, magnetite or siderite. Medium sandstone and coarse sandstone have higher quartz contents but lower feldspar contents than gravelly sandstone and sandy conglomerate. There is no significant difference in clay composition between different types of rock. The mean content of illite, illite smectite mixed layer, kaolinite and chlorite are 4.96 %, 2.84 %, 5.58 and 5.51 %, respectively.

#### 4.2. Pore type

The thin section images show that intergranular pores and dissolution pores are developed in the study area (Fig. 2a). These macropores are the main storage space and seepage channels for hydrocarbon. In different rock types, the proportion of macropore types varies considerably. Medium and coarse sandstones have a higher proportion of intergranular pores, while gravelly sandstone and sandy conglomerate have a higher proportion of dissolution pores. The thin section images show that dissolution pores are mainly formed by the dissolution of lithic fragment, feldspar and matrix. The textural maturity



**Fig. 2.** (Color online) Pore types observed from micro-images and the pore type proportions. (a) Gravelly sandstone and sandy conglomerate have lower areal porosity ( $\Phi_s$ ) but a higher proportion of dissolution pores than medium sandstone and coarse sandstone. (b) Intergranular pores in medium sandstone. (c) Intergranular pores partly filled by kaolinite. (d) Dissolution pores formed by the dissolution of lithic fragments. (e) Dissolution pores formed by the dissolution of feldspar. (f-g) Dissolution pores formed by the dissolution of lithic fragments.



Fig. 3. (Color online) Connectivity of pores in sandy conglomerate. (a) SEM image of sandy conglomerate. (b) Well-connected pores in the area surrounded by red dashed line. (c-e) Detailed SEM image of pores in sandy conglomerate.

and compositional maturity of gravelly sandstone and sandy conglomerate are poorer than medium sandstone and coarse sandstone (Fig. 2b-g). The results of the XRD measurement also show that gravelly sandstone and sandy conglomerate have a higher content of feldspar (Table 1). A high content of unstable minerals is the main cause of the dissolution pores. The SEM images show that micropores between clay minerals (kaolinite, illite, illite smectite mixed layer and chlorite) and authigenic quartz are also developed in the study area (Fig. 3f-k). Usually, these micropores are filled with irreducible water and do not contribute to hydrocarbon accumulation and seepage.

#### 4.3. Porosity, permeability and pore connectivity

In general, permeability increases with the increase of porosity (Fig. 4). However, different types of rocks exhibit different relationships between permeability and porosity. For rocks with the same porosity, sandy conglomerate has the highest permeability, gravelly sandstone and coarse sandstone have a medium permeability, and medium sandstone has the lowest permeability. This phenomenon is related to the connectivity of pores. Fig. 3d shows that, in sandy conglomerate, the macropores are concentrated in a relatively narrow area between gravels. Fig. 5a-b also show that, in sandy conglomerate, some pores are concent-



**Fig. 4.** Cross plot of porosity versus permeability. For rocks of the same porosity, sandy conglomerate has the highest permeability, gravelly sandstone and coarse sandstone have medium permeability, and medium sandstone has the lowest permeability.



**Fig. 5.** (Color online)  $T_2$  distributions and scanning images of different types of rock. (a-d)  $T_2$  distributions of medium sandstone, coarse sandstone, gravelly sandstone and sandy conglomerate, respectively. (e-h) Scanning images of medium sandstone, coarse sandstone, gravelly sandstone and sandy conglomerate, respectively.

rated in a narrow and continuous area. Although these pores are partially filled by kaolinite (Fig. 5c-e), they are still larger and better connected than the micropores between clay minerals in the medium sandstone and coarse sandstone (Fig. 3f-h).

#### 4.4. T<sub>2</sub> distribution

The  $T_2$  distributions of 14 core plugs show that most samples have bimodal  $T_2$  distributions (Fig. 6). Based on fully water saturated and centrifuged  $T_2$  distributions, the  $T_2cutoff$  of pebbly sandstone is determined (Fig. 3a-b,



**Fig. 6.** (Color online) Illustration of the micropores and macropores (from SEM images) associated with  $T_2$  distributions. (a) Example of  $T_2cutoff$  which separates micropores and macropores in medium sandstone and coarse sandstone. (b) Example of  $T_2cutoff$ , which separates micropores and macropores in gravelly sandstone and sandy conglomerate. (c) Macropores (intergranular pores) in medium sandstone and coarse sandstone. (d-e) Macropores (intergranular pores and dissolution pores, respectively) in gravelly sandstone and sandy conglomerate. (f-h) Micropores between clay minerals (kaolinite, illite and chlorite) in medium sandstone and coarse sandstone. (i-k) Micropores between small clay minerals (illite smectite mixed layer and chlorite) and authigenic quartz in gravelly sandstone and sandy conglomerate.

approximately 2 ms). The  $T_2$  cutoff roughly separates the  $T_2$  distribution into left and right peaks. The left peak represents micropores between clay minerals (kaolinite, illite, illite smectite mixed layer and chlorite) and authigenic quartz (Fig. 3f-k) which are smaller than the resolution of the thin section images (Fig. 7), while the right peak represents macropores, such as intergranular pores and dissolution pores (Fig. 3c-e), which can be observed in the thin section images (Fig. 7). Usually, the micropores represented by the left peak contribute little to hydrocarbon accumulation, so the right peak is more important than the left peak in petroleum exploration and development [7].

#### 4.5. Spatial distribution of pores

By comparing the thin section images and  $T_2$  distri-

butions, 6 thin section images with relatively high area porosities  $(\Phi_s)$  were selected and used for image processing. Fig. 8 shows the pores extracted from the thin section images (Fig. 7) and the RNN calculated from the spatial distribution of the pores. The results show that the spatial distribution of the pores is highly related to the rock type. From sample Well1-3 (Fig. 8b) to sample Well3-6 (Fig. 8g), the RNN reduces from 1.036 to 0.395, and the pore distribution pattern changes from random to clustered. As medium sandstone, sample Well1-3 (Fig. 8b) has a random distribution of pores and the highest RNN. As medium to coarse sandstones, samples Well2-3 and Well1-4 (Fig. 8cd) have slightly clustered pores and a medium RNN. As gravelly sandstone and sandy conglomerate, samples Well4-4, Well1-9 and Well3-6 (Fig. 8e-g) have clustered pores with the lowest RNN. As grain size increases, the



Well1-9,  $\Phi_{_{NMR}}$ =11.51%,  $\Phi_{_{S}}$ =0.49%

Well3-6,  $\Phi_{\text{NMR}} = 10.99\%$ ,  $\Phi_{\text{s}} = 0.64\%$ 

Well4-4,  $\Phi_{NMR} = 8.36\%, \Phi_{s} = 0.48\%$ 

**Fig. 7.** (Color online) Comparison of  $T_2$  distributions and micro-images. (a)  $T_2$  distribution and micro-image of sample Well1-3 (medium sandstone). (b)  $T_2$  distribution and micro-image of sample Well2-3 (coarse sandstone). (c)  $T_2$  distribution and micro-image of sample Well1-4 (medium sandstone). (d)  $T_2$  distribution and micro-image of sample Well1-9 (gravelly sandstone). (e)  $T_2$  distribution and micro-image of sample Well3-6 (gravelly sandstone). (f)  $T_2$  distribution and micro-image of sample Well4-4 (sandy conglomerate). From (a-c) to (d-f), the content of gravel increases, the area porosity ( $\Phi_s$ ) decreases, and the  $T_2$  distribution is less obviously bimodally shaped.

sorting and compaction of rock become poorer and the unstable mineral content increases, the macropore type changes from almost pure intergranular pores to a mixture of intergranular pores and dissolution pores, the spatial distribution of pores changes from a random to a clustered pattern, and the *RNN* decreases gradually (Table 2).

#### 5. Discussion

# 5.1. The relationship between $T_2$ and pore structure parameters

Result of the XRD measurement shows that the content of magnetite is zero and the average content of chlorite is



**Fig. 8.** Spatial distribution of pores based on binarized micro-images. (a) Spatial distribution patterns of pores (modified from Jerram *et al.*, 1996). The completely regular distribution pattern has the highest *RNN* of 2.149; the completely random distribution pattern has an *RNN* of 1; the completely clustered distribution pattern has the lowest *RNN* of 0. (b-g) Spatial distribution of pores based on binarized micro-images. Medium sandstone and coarse sandstone (samples Well1-3, Well2-3 and Well1-4) have higher *RNN*; gravelly sandstone and sandy conglomerate (samples Well4-4, Well1-9 and Well3-6) have lower *RNN*. From (b) to (g), the spatial distribution of pores changes from a random to clustered pattern.

**Table 2.** Porosity and *RNN* of different types of pores. As the grain size increases, the proportion of dissolved pores increases, and dissolved pores have a lower *RNN* than intergranular pores.

Pool	Rock	$\Phi_{NMR}$	$\Phi_{s}(\%)$				RNN			
sample			All	Intergranular	Dissolved	All	Intergranular	Dissolved	т	n
sumple type		(70)	pores	pores	pores	pores	pores	pores		
Well1-3	Medium sandstone	15.14	10.86	9.73	1.13	1.036	0.999	0.317	0.00002	3.09791
Well2-3	Coarse sandstone	10.64	1.71	1.39	0.32	0.560	0.347	0.250	0.48257	1.23491
Well1-4	Medium sandstone	11.33	1.61	1.34	0.27	0.547	0.368	0.214	0.17714	1.70771
Well1-9	Gravelly sandstone	11.51	0.49	0.36	0.13	0.417	0.195	0.146	6.61961	0.8169
Well3-6	Gravelly sandstone	10.99	0.64	0.30	0.34	0.395	0.214	0.199	9.00018	0.81754
Well4-4	Sandy conglomerate	8.36	0.57	0.05	0.52	0.476	0.794	0.462	0.11030	1.58144

low (5.51 %). Previous studies [37-39] show that a high internal gradient in rocks is usually caused by magnetite or a high content of chlorite. Based on the experimental data in these studies, we deduce that the internal gradient in the study area should not be high. Meanwhile, the echo

spacing of CMPG sequence  $(T_E)$  is sufficiently short (0.1 ms). Therefore, the bulk relaxation time and diffusion relaxation time can be disregarded, and Eq. (1) can be simplified as Eq. (2). However, is this equation sufficiently accurate in pebbly sandstone? Although  $T_2$  distribution

illustrates the pore size distribution, it cannot reveal the detailed characteristics of individual pores that the microimage is able to present. Investigating the relationship between  $T_2$  and pore structure parameters can improve the understanding of NMR response in pebbly sandstone.

Before connecting the  $T_2$  distributions and pore structure parameters of the thin section images, the sample size and dimensional effect should be considered. As we previously mentioned, the diameter of the core plugs used in  $T_2$  distribution measurement are 2.54 cm and the field of vision of the thin section images is  $1.5 \text{ cm} \times 1.2 \text{ cm}$ . Therefore, the size of the cross section of core plugs and the thin section images are of the same order of magnitude; then, the sample size effect is negligible. However, the dimensional effect cannot be ignored, because  $T_2$  distribution is obtained from a three-dimensional rock sample (Eq. (2)), while the thin section image reflects a twodimensional pore structure. To eliminate the dimensional difference between  $T_2$  distributions and pore structure parameters, Eq. (2) should be converted into a twodimensional equation. Assuming that pores in rocks are perfect spheres, the surface (S) and volume (V) of a pore can be expressed as Eq. (7) and Eq. (8) respectively.

$$S = 4\pi R^2 \tag{7}$$

$$V = \frac{4}{3}\pi R^3 \tag{8}$$

In the thin section image, if a pore is cut through the center of a sphere on the thin section, the perimeter (P) and area (A) of a pore can be expressed as Eq. (9) and Eq. (10) respectively.

$$P = 2\pi R \tag{9}$$

$$A = \pi R^2 \tag{10}$$

Combining Eq. (2) and Eq. (7-10), the two-dimensional  $T_2$  equation for a sphere pore can be expressed as Eq. (11).

$$\frac{1}{T_2} = \frac{3}{2}\rho_2 \frac{P}{A}$$
(11)

However, the pores in natural rocks are not perfect spheres, and the thin sections do not only show the cross sections that cut through the center of pores. Therefore, the two-dimensional  $T_2$  equation can be expressed as Eq. (12).

$$\frac{1}{T_2} = c\rho_2 \frac{P}{A} \tag{12}$$

where c is the transformation coefficient.

When connecting the  $T_2$  distributions and pore structure



**Fig. 9.** Schematic diagram connecting  $T_2$  distribution and pores based on a binarized micro-image by sorting two-dimensional pores from the binarized micro-image by P/A and dividing them into several different proportions. Similarly, dividing the  $T_2$  distribution into the same proportions with the same porosity weight.  $T_2$  can be then connected with two-dimensional pore structure parameters. Eq. (2), which is based on three-dimensional pores can be converted into the two-dimensional pores-based Eq. (3).

parameters of thin section images, we are not trying to connect every single pore in the binarized thin section image with the  $T_2$  distribution because different pores may have some type of interaction on transverse relaxation. Instead, we connect pores in the binarized thin section image with the  $T_2$  distribution through a series of steps (Fig. 9): first, the pores larger than the resolution of the thin section image are sorted by P/A (the ratio of the perimeter to the area of a pore) and divided into several different proportions, and the average pore area (A), average pore shape factor  $(S_f)$  and average pore short radius  $(R_s)$  of each proportion are calculated; then, the  $T_2$ distribution is divided into the same proportions with the same porosity weight and the logarithmic mean of the  $T_2$ of each proportion are calculated; finally, the  $T_2$  values can be connected with different two-dimensional pore structure parameters.

By following the corresponding relationship between  $T_2$  distributions and pore structure parameters listed above, the cross plots of  $T_2$  and pore structure parameters (Fig. 10) were created to analyze the influence of the spatial distribution of pores on  $T_2$ . The  $T_2$  values in Fig. 10 were derived from the  $T_2$  distributions in Fig. 7 and the pore structure parameters in Fig. 10 were derived from the binarized thin section images in Fig. 8. Crossplots of A,  $S_f$  and  $R_s$  versus  $T_2$  show that A and  $R_s$  have positive correlations with  $T_2$  and  $S_f$  has a negative correlation with  $T_2$  (Fig. 10). The  $T_2$  of all the samples can be expressed as



**Fig. 10.** Influence of the spatial distribution of pores on  $T_2$ . (a) Cross plot of average pore area (*A*) versus  $T_2$ . (b) Cross plot of average pore shape factor (*S<sub>f</sub>*) versus  $T_2$ . (c) Cross plot of average pore short radius (*R<sub>s</sub>*) versus  $T_2$ . (d) From sample Well1-3 to sample Well3-6 (from medium sandstone to sand conglomerate); the changes in the relationship between the pore structure parameters and  $T_2$  fit the pattern change in the spatial distribution of pores from random to clustered.

Eq. (13):

$$T_2 = mR_s^n \tag{13}$$

where m and n are the fitting coefficient and exponent.

Six samples have different values of *m* and *n* (Fig. 10c, Table 2). When comparing Eq. (13) with Eq. (2) and Eq. (12), we found that  $R_s^n$  has a positive linear correlation to *V*/*S* and *A*/*P*, and coefficient *n* reflects the pore shape factor  $S_f$ . For the same value of  $R_s$ , as the content of the gravel increases (from sample Well1-3 to sample Well3-6), the  $T_2$  increases and the *RNN* decreases gradually.

#### 5.2. Influence of the spatial distribution of pores on $T_2$

When comparing with the medium sandstone and coarse sandstone, the gravel sandstone and sandy conglomerate have higher content of gravel, lower compositional maturity and textural maturity, and more erosion of unstable minerals [27, 40]. The dissolution pores are mainly developed in matrix and clay minerals that are deposited between gravels. Therefore, most dissolution pores are confined in a relatively narrow space (Fig. 2c-f). When represented in two dimensions, the spatial distribution of these dissolution pores is shown as having a clustered pattern (Fig. 8). Research [16, 41] has shown that the throats that connect dissolution pores have a relatively larger ratio of throat radius to pore radius and smaller ratio of throat length to pore radius than the throats that connect intergranular pores. This conclusion is also supported by the difference in permeability between rock types (Fig. 4). For rocks of the same porosity, sandy conglomerate has a higher permeability than other rocks. Assuming that dissolution pores and intergranular pores have the same pore radii, dissolution pores are better connected than intergranular pores. Therefore, the apparent volume of one dissolution pore is far larger than one intergranular pore, the relaxation of a hydrogen atom takes a longer time in dissolution pores than in intergranular pores, and the  $T_2$  in dissolution pores is higher than the  $T_2$  in intergranular pores.

Based on the theory that the spatial distribution of pores influences the  $T_2$  distribution, the differences in the  $T_2$ distributions between different types of rocks (Fig. 6) can be explained as follows: (1) The  $T_2$  values of the right peak in gravelly sandstone and sandy conglomerate (especially in samples Well3-6 and Well4-9) are closer to the right side (700 ms) than in medium sandstone and coarse sandstone (400 ms). Actually, the pores in gravelly sandstone and sandy conglomerate are smaller than the pores in medium sandstone and coarse sandstone. For example, the dissolution pores in Fig. 2e-g have small radii than the intergranular pores in Fig. 2b, and the Rs of samples Well3-6 and Well4-9 are less than the Rs of sample Well1-3 in Fig. 10c. The reason why gravelly sandstone and sandy conglomerate have smaller radii but show higher  $T_2$ values is that the pores in these rock types are cluster distributed and well connected (such as in Fig. 5). (2) The left peaks in medium sandstone and coarse sandstone are concentrated (Fig. 6a-b), while the left peaks in gravelly sandstone and sandy conglomerate are dispersed (Fig. 6cd). We speculate the reason for this phenomenon is that the micropores in former have an almost random distribution, but in latter the micropores have different degrees of cluster distribution.

#### 5.3. New $T_2$ equations

From Well1-3 to Well3-6 (Fig. 10c-d), the decrease in *RNN* is accompanied by an increases in *m*. This indicates that *m* is controlled by the spatial distribution of pores. In Eq. (13), *Rs* is related to the pore size and *n* is related to the pore shape factor. When the spatial distribution of pores is considered in three dimensions,  $T_2$  can be expressed as Eq. (14) (corresponding to Eq. (2)). In addition, if bulk relaxation time and diffusion relaxation time are added, Eq. (14) can be extended to form Eq. (15) (corresponding to Eq. (1))

$$\frac{1}{T_2} = \rho_2 R N N^a \frac{S}{V} \tag{14}$$

$$\frac{1}{T_2} = \frac{1}{T_{2B}} + \frac{D(\gamma G T_E)^2}{12} + \rho_2 R N N^a \frac{S}{V}$$
(15)

where *a* is the exponent related to the pore types.

Although Eq. (14) and Eq. (15) are deduced from the analysis of pebbly sandstone, they can also be applicable

to other rocks with complicated pore structures, especially rocks with dissolution pores, such as limestone and dolomite [2, 31]. For these rocks, the spatial distribution of pores shows a clustered pattern, the *RNN* is less than 1, and the  $T_2$  is underestimated in Eq. (2) and Eq. (1) but compensated for in Eq. (14) and Eq. (15). In well-sorted and homogenous sandstone, the spatial distribution of pores shows a random pattern and the *RNN* is close to 1. In this case, Eq. (14) and Eq. (15) degrade into Eq. (2) and Eq. (1).

### 6. Conclusion

Intergranular pores and dissolution pores formed by the dissolution of lithic fragment, feldspar, kaolinite and matrix constitute the main reservoir space. As the grain size increases, the pore type changes from almost pure intergranular pores to a mixture of intergranular pores and dissolution pores, the spatial distribution of pores changes from a random to a clustered pattern, and the *RNN* decreases.

Most dissolution pores are confined in a relatively narrow space because they are primarily developed in matrix and clay minerals that are deposited inter-gravels. Therefore, when presented in two dimensions, the spatial distribution of these dissolution pores is shown as a clustered pattern. Dissolution pores are better connected than intergranular pores, the relaxation of a hydrogen atom takes a longer time in dissolution pores than in intergranular pores, and the  $T_2$  in dissolution pores is higher than the  $T_2$  in intergranular pores.

Based on the study of pebbly sandstone, new equations for  $T_2$  are proposed when considering the spatial distribution of pores. These equations are also applicable to other rocks that have complicated pore structures.

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